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SUBJECT- MATHS, LOGICAL REASONING & STAT

Test Code – CFN 9267

BRANCH - () (Date :)

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$$1. \quad \frac{{}_{15}P_{r-1}}{{}_{16}P_{r-2}} = \frac{3}{4}$$

$$\therefore 4 \times {}_{15}P_{r-1} = 3 \times {}_{16}P_{r-2}$$

$$\therefore 4 \times \frac{15!}{(15-r+1)!} = 3 \times \frac{16!}{(16-r+2)!}$$

$$\therefore 4 \times \frac{15!}{(16-r)!} = 3 \times \frac{16 \times 15!}{(18-r)!}$$

$$\therefore \frac{4}{(16-r)!} = \frac{3 \times 16}{(18-r)(17-r)(16-r)!}$$

$$\therefore (18-r)(17-r) = 4 \times 3$$

$$\therefore 18-r = 4$$

$$\therefore r = 14$$

[Ans. : A]

2. divisors of 420 are

1, 420, 2, 210, 3, 140, 4, 105, 5, 84, 6, 70, 7, 60, 10, 42, 12, 35, 14, 30, 15, 28, 20, 21,

OR

$$420 = 2 \times 2 \times 3 \times 5 \times 7 = 2 \times 3 \times 5 \times 7$$

$$\therefore \text{No. of divisors} = 3 \times 2 \times 2 \times 2 = 24$$

[Ans.: B]

3. Here $S_n = 2n^2 + n$

$$\therefore S_1 = 2 + 1 = 3 = T_1 = a \quad \therefore a = 3$$

$$S_2 = 8 + 2 = 10 = T_1 + T_2 \quad \therefore T_2 = 7$$

$$\therefore d = 4$$

$$\text{Now, } T_{10} = a + 9d = 3 + 36 = 39$$

$$\therefore T_{10} - T_1 = 39 - 3 = 36$$

[Ans.: B]

4. By trial & error method,

3 geometric means between 4 and 324 are 12, 36, 108

\therefore 4, 12, 36, 108, 324 are in G.P.

[Ans.: B]

5. $SI = Pin$

$$SI_1 = 845 \times 0.10 \times n = 84.5n$$

$$SI_2 = 750 \times 0.10 \times n = 75n$$

$$\text{Here } (84.5 - 75) \cdot n = 57$$

$$\therefore 9.5n = 57$$

$$\therefore n = 6 \text{ years}$$

[Ans.: C]

6. 3 digits even numbers by 0, 1, 2, 3, 4, 5

$$\begin{array}{ccc} _ & _ & _ \\ & \uparrow & \text{OR} & _ & _ & _ \\ & 0 & & \uparrow & & \uparrow \\ & & & \cancel{\times} & & 2,4 \end{array}$$

$${}_1P_1 \times {}_5P_2 + {}_2P_1 \times {}_4P_1 \times {}_4P_1$$

$$= 20 + 2 \times 4 \times 4 = 20 + 32 = 52$$

[Ans.: B]

7. No. of Shake hands = $nC_2 = {}_{10}C_2 = \frac{10 \times 9}{2 \times 1}$

$$= 45$$

[Ans.: A]

8. $S_n = \frac{a[r^n - 1]}{r - 1}$ Here $a = 1.03$
 $r = 1.03$

$$\therefore r - 1 = 0.03$$

$$\therefore S_n = \frac{1.03 [(1.03)^n - 1]}{0.03}$$

$$\therefore S_n = \frac{103}{3} [(1.03)^n - 1]$$

[Ans.: C]

9. $7 + 77 + 777 + \dots$

$$= 7 [1 + 11 + 111 + \dots]$$

$$= \frac{7}{9} [9 + 99 + 999 + \dots]$$

$$= \frac{7}{9} [(10 - 1) + (100 - 1) + (1000 - 1) + \dots]$$

$$= \frac{7}{9} [(10 + 100 + 1000 + \dots) - (1 + 1 + 1 + \dots)]$$

$$= \frac{7}{9} \left[\frac{10(10^n - 1)}{10 - 1} - n \right]$$

$$= \frac{7}{9} \left[\frac{10}{9} (10^n - 1) - n \right]$$

$$= \frac{70}{81} (10^n - 1) - \frac{7n}{9}$$

$$= \frac{7}{81} (10^{n+1} - 10) - \frac{7n}{9}$$

[Ans.: C]

10. $P \times 1.03 \times 1.02 \times 1.01 = 15916.59$

$$\therefore P = 15000$$

[Ans.: A]

11. Rank of word "MOTHER"

$$E \dots \dots \dots = 5! = 120$$

$$H \dots \dots \dots = 5! = 120$$

$$\begin{aligned}
ME & \dots\dots\dots = 4! = 24 \\
MH & \dots\dots\dots = 4! = 24 \\
MOE & \dots\dots\dots = 3! = 6 \\
MOH & \dots\dots\dots = 3! = 6 \\
MOR & \dots\dots\dots = 3! = 6 \\
MOTE & \dots\dots\dots = 2! = 2
\end{aligned}$$

$$MOTHER = \frac{1}{309}$$

$$\therefore \text{Rank} = 309$$

[Ans.: B]

12. Here $a = 100$, $d = -5$, $S_n = 975$, $n = ?$

$$S_n = \frac{n}{2} [2a + (n-1)d]$$

$$\therefore 975 = \frac{n}{2} [200 + (n-1)(-5)]$$

$$\therefore 1950 = n [200 - 5n + 5]$$

$$\therefore 1950 = n [205 - 5n]$$

$$\therefore 1950 = 205n - 5n^2$$

$$\therefore 5n^2 - 205n + 1950 = 0$$

$$\therefore n^2 - 41n + 390 = 0$$

$$\therefore (n-15)(n-26) = 0$$

$$\therefore n = 15 \text{ OR } n = 26 \text{ not valid}$$

$$\therefore n = 15$$

[Ans.: B]

13. 6(G) 4(L) 10

$$\begin{array}{ccc}
3 & 2 & 5 \\
2 & 3 & \\
4 & 4 &
\end{array}$$

$$= {}_6C_3 \times {}_4C_2 + {}_6C_2 \times {}_4C_3 + {}_6C_1 \times {}_4C_4$$

$$= 20 \times 6 + 15 \times 4 + 6 \times 1$$

$$= 120 + 60 + 6 = 186$$

[Ans.: D]

14. $GM^2 = AM \times HM$

$$\therefore GM^2 = 32 \times 2$$

$$\therefore GM^2 = 64$$

$$\therefore GM = 8$$

[Ans.: (A)]

15. Here $P = 200$, $I = \frac{5\%}{4} = 1.25\% = 0.0125$

$$n = 10 \times 4 = 40, \text{ P.V. ?}$$

$$PV = P \left[\frac{1+i^n-1}{i(1+i)^n} \right]$$

$$\therefore PV = 200 \left[\frac{(1.0125)^{40} - 1}{0.0125(1.0125)^{40}} \right] = 6265.38$$

[Ans.: C]

16. No. of ways = $\frac{(n-1)!}{2} = \frac{(7-1)!}{2} = \frac{6!}{2}$
 $= \frac{720}{2} = 360$

[Ans.: B]

17. Reciprocals of the terms of a GP is also G.P.

[e.g. 10, 20, 40 80, GP

$$\frac{1}{10}, \frac{1}{20}, \frac{1}{40}, \frac{1}{80}, \dots \text{GP}$$

[Ans.: B]

18. Here $a = 50$, $d = -5$, $S_n = 0$, $n = ?$

$$S_n = \frac{n}{2} [2a + (n-1)d]$$

$$\therefore 0 = \frac{n}{2} [100 + (n-1)(-5)]$$

$$\therefore 0 = 100 - 5n + 5$$

$$\therefore S_n = 105$$

$$\therefore n = 21$$

[Ans.: B]

19. ${}_{1000}C_{98} = {}_{999}C_{97} + x {}_{901}C_{901}$

$$\therefore {}_{1000}C_{902} = {}_{999}C_{902} + x {}_{901}C_{901}$$

$$[By {}_{n+1}C_r = {}_n C_r + {}_n C_{r-1}]$$

$$x = 999$$

[Ans.: A]

20. $i = \frac{12\%}{4} = 0.03$, $n = 2.5 \times 4 = 10$

$$A = 13440, P = ?$$

$$A = P(1+i)^n$$

$$\therefore 13440 = P(1.03)^{10}$$

$$\therefore 13440 = P(1.344)$$

$$\therefore P = 10000$$

[Ans.: A]

21. M W M W M W M

$${}_4P_4 \times {}_3P_3 = 24 \times 6 = 144$$

[Ans.: A]

22. Here $S_\infty = 15$ $\therefore \frac{a}{1-r} = 15$

$$\therefore a = 15(1 - r) \dots\dots\dots(i)$$

$$\text{Sum of square of infinite} = \frac{a^2}{1 - r^2} = 45$$

$$\therefore a^2 = 45(1 - r^2)$$

$$\therefore 225(1 - r)^2 = 45(1 - r)(1 + r)$$

$$\therefore 225 - 225r = 45 + 45r$$

$$\therefore 180 = 270r$$

$$\therefore r = \frac{180}{270} = 2/3$$

[Ans.: D]

23. $3^n - 2n - 1$ is divisible by 4.

Taking $n = 3$, $3^3 - 6 - 1 = 20$ divisible by 4]

[Ans.: D]

24. $C = 1, 25,000, i = 10\%, S = ?, n = 20$

$$S = C(1 - i)^n$$

$$\therefore S = 125000(0.09)^{20} = 125000(0.1215)$$

$$= 15187.5$$

[Ans.: A]

25. ${}_5C_3 + {}_5C_4 + {}_5C_5 = 10 + 5 + 1 = 16$

[Ans.: D]

26. $T_5 = 3\sqrt{3} \quad \therefore a \cdot r^4 = 3^{1/3}$

Now, $T_1 \cdot T_2 \cdot T_3 \cdot T_4 \cdot T_5 \cdot T_6 \cdot T_7 \cdot T_8 \cdot T_9$

$$= a \cdot ar \cdot ar^2 \cdot ar^3 \cdot ar^4 \cdot ar^5 \cdot ar^6 \cdot ar^7 \cdot ar^8$$

$$= a^9 \times r^{36} = (a \cdot r^4)^9 = (3^{1/3})^9 = 3^3 = 27$$

[Ans.: B]

27. Here $P = 1200, I = 0.08, n = 12$

1200 payable at the beginning of each year so we have to use concept of due Annuity

$$FV = P \left[\frac{(1+i)^n - 1}{i} \right] (1 + i)$$

$$1200 \left[\frac{(1.08)^{12} - 1}{0.08} \right] (1.08)$$

$$= 24,594.36$$

[Ans.: B]

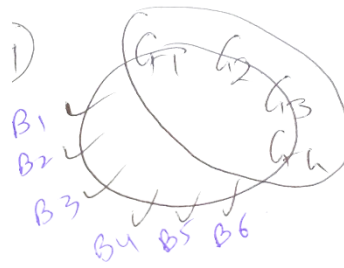
28. No. of triangles = ${}_nC_3 - {}_rC_3$

$$= {}_{12}C_3 - {}_7C_3$$

$$= 220 - 35 = 185$$

[Ans.: A]

29. $4! \times 6! = 24 \times 720$
 $= 17,280$



[Ans.: A]

30. Let $P = 100$, $A = 200$, $n = 8$, $i = ?$

$$A = P(1 + i)^n$$

$$200 = 100 (1 + i)^8$$

$$\therefore 2 = (1 + i)^8$$

$$\therefore i = 0.09$$

i.e. 9%

[Ans.: C]

31. $x^{1/a} = y^{1/b} = z^{1/c} = k$

$$\therefore x^{1/a} = k, y^{1/b} = k, z^{1/c} = k$$

$$\therefore x = k^a, y = k^b, z = k^c$$

Here x, y, z are in G.P.

$$\therefore y^2 = xz$$

$$\therefore (k^b)^2 = k^a k^c$$

$$\therefore k^{2b} = k^{a+c}$$

$$\therefore 2b = a + c$$

$\therefore a, b, c$ are in AP

[Ans.: A]

32. a, b, c are in G.P.

$$\therefore a = k, b = kr, c = kr^2$$

$$\therefore a^2 + b^2, ab + bc, b^2 + c^2$$

$$= k^2 + k^2 r^2, k^2 r + k^2 r^3, k^2 r^2 + k^2 r^4$$

$$= k^2 (1 + r^2), k^2 \cdot r (1 + r^2), k^2 \cdot r^2 (1 + r^2)$$

Which are in G.P.

[Ans.: B]

33. $P = 100, i = \frac{0.05}{2} = 0.025, n = 8 \times 2 = 16$

$A = ?$

$A = P(1 + i)^n = 100 (1.025)^{16} = 148.45$

[Ans.: A]

34. ${}_n P_r = 1680, {}_n C_r = 70$

$r! = \frac{{}_n P_r}{{}_n C_r}$

$= \frac{1680}{70} = 24$

$\therefore r! = 4!$

$\therefore r = 4$

${}_n P_r = 1680$

$\therefore {}_n P_4 = 8 \times 7 \times 6 \times 5 = {}_8 P_4$

$\therefore n = 8$

[Ans.: C]

35. x, y, z are in GP

$\therefore y^2 = xz$

Now, $xyz = \frac{27}{8}$

$\therefore y \cdot (xz) = \frac{27}{8}$

$\therefore y \cdot y^2 = \frac{27}{8}$

$\therefore y^3 = \left(\frac{3}{2}\right)^3$

$\therefore y = 3/2$

[Ans. A]

36. $d = 2, T_7 = 13$

$\therefore a + 6d = 13$

$\therefore a + 12 = 13$

$\therefore a = 1$

$S_n = 49$

$\therefore \frac{n}{2} [2a + (n - 1) d] = 49$

$\therefore n [2 + (n - 1) (2)] = 98$

$\therefore n [2 + 2n - 2] = 98$

$$\therefore n(2n) = 98$$

$$\therefore 2n^2 = 98$$

$$\therefore n^2 = 49$$

$$\therefore n = 7$$

[Ans. C]

37. Let $P = 100$ $\therefore A = 120,$

$i = 0.02,$ $n = ?$

$$A = P(1 + i)^n$$

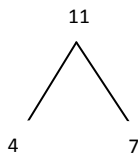
$$\therefore 120 = 100 (1.02)^n$$

$$\therefore 1.2 = (1.02)^n$$

$$\therefore n = 9.21 \text{ years}$$

[Ans.: B]

38



Mathematics Vowels \Rightarrow a, e, a, i = 4

Consonants $\Rightarrow \frac{7}{11}$

$$\text{No. of ways} = \frac{4! \times 7! \times 2!}{2!2!2!} = \frac{4 \times 3! \times 7!}{2 \times 2}$$

$$= 6 \times 7!$$

[Ans.: A]

39. I(5) II(5) 10

2 4 6

3 3

4 2

$$\text{No. of ways} = {}_5C_2 \times {}_5C_4 + {}_5C_3 \times {}_5C_3 + {}_5C_4 \times {}_5C_2$$

$$= 10 \times 5 + 10 \times 10 + 5 \times 10$$

$$= 50 + 100 + 50 = 200$$

[Ans.: B]

40. $P = 600, i = \frac{6\%}{4} = 0.015, n = 5 \times 4 = 20,$

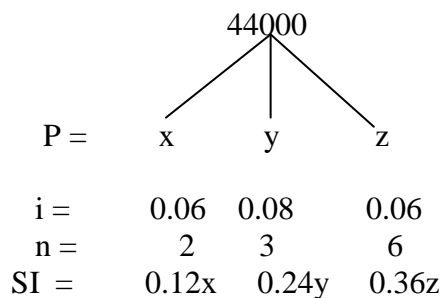
$$FV = P \left[\frac{(1+i)^n - 1}{i} \right] (1+i) \quad (\text{Due Annuity})$$

$$= 600 \left[\frac{(1.015)^{20} - 1}{0.015} \right] (1.015)$$

$$= 14,082.3$$

[Ans.: A]

41. $SI = Pin$



Here $0.12x = 0.24y = 0.36z$

$\therefore x = 2y = 3z = k$

$\therefore x = k, y = \frac{k}{2}, z = \frac{k}{3}$

$\therefore x + y + z = 44,000$

$\therefore k + \frac{k}{2} + \frac{k}{3} = 44,000$

$\frac{6k+3k+2k}{6} = 44,000$

$\therefore 11k = 6 \times 44,000$

$\therefore k = 24,000$

Lowest = $z = \frac{k}{3} = \frac{24000}{3} = 8000$

[Ans. : C]

42. FV of Annuity = $75000 - 10000 = 65,000$

$i = \frac{0.10}{4} = 0.025, n = 8 \times 4 = 32, P = ?$

$FV = P \left[\frac{(1+i)^n - 1}{i} \right]$

$\therefore 65000 = P \left[\frac{(1.025)^{32} - 1}{0.025} \right]$

$\therefore P = 1349.89$

[Ans.: D]

43. $CI - SI = Pi^2$ for 2 years

$\therefore 41 - 40 = Pi^2$

$\therefore Pi^2 = 1 \dots\dots\dots (i)$

Now, $SI = Pi n$

$\therefore 40 = Pi \times 2$

$\therefore Pi = 20 \dots\dots\dots(ii)$

From (i) and (ii) $\frac{Pi^2}{Pi} = \frac{1}{20} \therefore I = 0.05$ i.e. 5%

From (ii) $P \times 0.05 = 20$

$\therefore p = 400$

[Ans.: B]

44. Perpetuity Annuity = $\frac{P}{c}$

$\therefore 1,40,000 = \frac{1750}{i}$

$\therefore i = \frac{1750}{140000} = 0.0125$ (month)

\therefore Annual interest rate = 0.0125×12

= 0.15

i.e. 15%

[Ans.: D]

45. $A = P(1 + i)^n$

$\therefore 12167 = P(1 + i)^3$ and

$13992 = P(1 + i)^4$

$\therefore 1 + i = \frac{13992}{12167} = 1.15$

$\therefore i = 0.15$

i.e. 15%

Now, $12167 = P(1 + i)^3$

$\therefore 12167 = P(1.15)^3$

$\therefore P = 8000$

[Ans.: B]

46. $SI = Pin$ & $A = P(1 + in)$

Here $6300 = P(1 + 2i)$

$\therefore 6300 = P + 2Pi$ (i)

& $7875 = P(1 + 3.75 i)$

$n = 3$ years 9 months

$\therefore 7875 = P + 3.75Pi$ (ii)

= 3.75 years

From (i) & (ii)

$7875 = P + 3.75 pi$

$6300 = P + 2pi$

$1575 = 1.75 Pi$

$\therefore Pi = 900$ (iii)

$$\text{From (i) } 6300 = P + 2(900)$$

$$\therefore 6300 = P + 1800$$

$$\therefore P = 4500 \dots\dots (iv)$$

$$\text{From (iii) } 4500 \times i = 900$$

$$\therefore i = 0.2$$

i.e., 20%

[Ans.: A]

47. Given

C = The redemption price = Rs. 1000.

R = Periodic dividend payment

$$= 10\% \text{ of } 1000 = \text{Rs. } 100$$

i = yield rate per period = 14%

n = No. of periods before redemption = 3.

V = Present value of bond = Purchase price = PV of resumed price + PV of all periodic dividend

$$= 1000 \left(1 + \frac{14}{100}\right)^{-3} + 100 \left[\frac{1 - \left(1 + \frac{14}{100}\right)^{-3}}{0.14}\right]$$

$$= \text{Rs. } 907.135$$

[Ans.: A]

48. $A = P(1 + i)^n$

$$1000 = P(1.07)^4$$

$$\therefore P = 762.92$$

[Ans.: C]

49. $P = 800, i = \frac{6\%}{4} = 0.015, n = 6 \times 4 = 24$

$$FV = P \left[\frac{(1+i)^n - 1}{i}\right]$$

$$FV = 800 \left[\frac{(1.015)^{24} - 1}{0.015}\right] = 22906.82$$

[Ans.: A]

50. $P = 2000, \text{PV of Annuity} = 20,000, i = 0.05, n = ?$

$$PV = P \left[\frac{(1+i)^n - 1}{i(1+i)^n}\right]$$

$$\therefore 20000 = 2000 \left[\frac{(1.05)^n - 1}{0.05(1.05)^n}\right]$$

By Trial & error, $n = 14$

[Ans.: C]